



The thermal conductivity of liquid metals is directly related to electrical conductivity by the Wiedemann-Franz law. We are particularly interested to estimate electrical conductivities of liquid metals, at as high temperatures as possible, since they can now be heated to high temperatures by simple ohmic resistance, because the "pinch" effect can be readily overcome in a centrifugally rotating electrical furnace.<sup>14</sup> Attempts to develop the transport theory for electron-phonon interactions in metals are being made.<sup>15</sup>

In view of the present state of theory we are forced to rely on experiments and on empirical methods, which will be developed herewith.

In our previous papers on the viscosity of liquid metals<sup>16,17</sup> we used the first Andrade equation, namely

$$\eta = Ae^{H\eta/RT} \quad (1)$$

to describe the change with temperature over a comparatively narrow temperature range (of about 500°K.). In his often-cited paper of 1934 on the theory of liquid viscosity, Andrade<sup>18</sup> emphasized that for a wider temperature range, the change in density or specific volume of the liquid should be taken into account and developed his second equation, *i.e.*

$$\eta v^{1/3} = Ae^{c/vT} \quad (2)$$

where  $A$  and  $c$  are constants of a particular liquid,  $\eta$  (in poises) is its viscosity, and  $v$  (in  $\text{cm}^3/\text{g}.$ ) is its specific volume at the temperature,  $T$ , in °K. In its logarithmic form, *i.e.*, plotting  $\log(\eta v^{1/3})$  vs.  $1/vT$ , this equation is a straight line. Andrade applied his equation to mercury also and obtained the following values for his constants<sup>18</sup>

$$A = 2467 \times 10^{-6}; c = 21.0 \quad (3)$$

All of the viscosity data on mercury up to 1960 are conveniently tabulated and critically evaluated in the mercury volume of the Gmelin handbook.<sup>19</sup> The data of Erk<sup>20</sup> cover the range from the melting point to  $\sim 500^\circ\text{K}.$ , while Chalilov<sup>21</sup> extended his measurements to  $900^\circ\text{K}.$  and also determined the viscosity of saturated mercury vapor.

Table I contains the pertinent data on viscosity<sup>19</sup>; also given are the experimental specific volumes of mercury from the melting point to the critical point, smoothed out according to our best present estimates (see ref. 2). The values of Andrade's variables, *i.e.*,  $\eta v^{1/3}$  and  $1/vT$ , are also given in Table I.

They are plotted in Fig. 1; one can readily see that Andrade's straight-line relationship holds for the whole experimental range. The equation of this line is

$$\log(\eta v^{1/3}) = \log(2318 \times 10^{-6}) + 0.43429 \times 22.76/vT \quad (4)$$

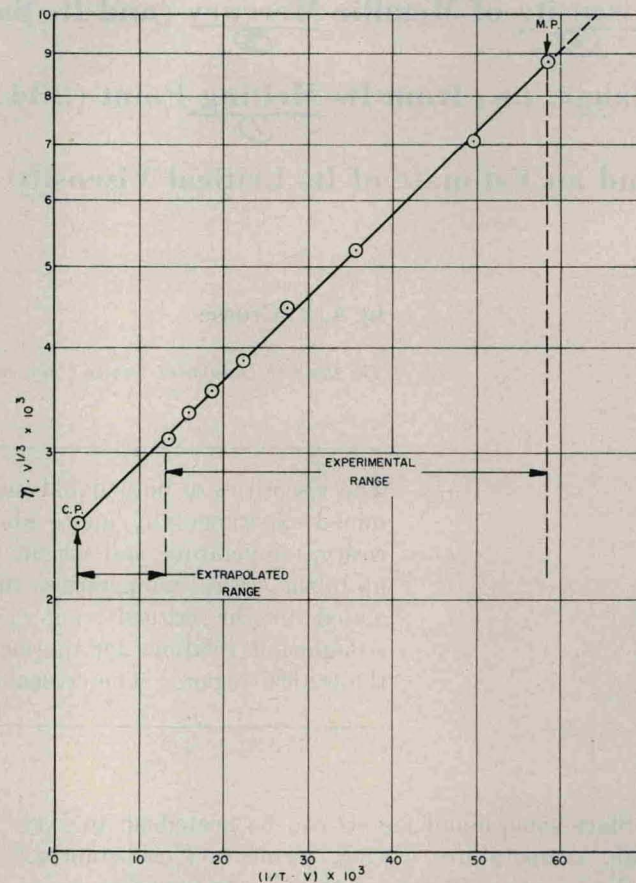


Figure 1. Viscosity,  $\eta$ , of  $\text{Hg}_{\text{liq}}$  using the second Andrade equation.

Our constants  $A$  and  $c$  are practically identical with the 30-year earlier ones of Andrade. Since the critical temperature of mercury<sup>22</sup> is  $1733^\circ\text{K}.$  and the critical density<sup>2</sup> is known, the Andrade line was extended to the critical point (see Fig. 1). The viscosities for set values of temperature were calculated from our Andrade equation since the corresponding specific volumes are known (see Table I); the calculated  $\eta$ -values cover the range from  $973^\circ\text{K}.$  to the critical point (the four significant figures given for  $\eta_{\text{calcd}}$  should not imply the precision of these values).

(14) See A. V. Grosse, ref. 2, p. 787, Fig. 8.

(15) R. E. Prange and L. P. Kadanoff, *Phys. Rev.*, **134**, A566 (1964).

(16) A. V. Grosse, *J. Inorg. Nucl. Chem.*, **25**, 317 (1963); *Science*, **140**, 788 (1963).

(17) A. V. Grosse, *J. Inorg. Nucl. Chem.*, **23**, 233 (1961).

(18) E. N. daC. Andrade, *Phil. Mag.*, **17**, 698 (1934).

(19) "Gmelin's Handbook," Mercury, No. 34, Section 1, Verlag Chemie, GmbH., Weinheim, West Germany, 1960, pp. 312-317.

(20) S. Erk, *Z. Physik*, **47**, 886 (1928).

(21) Ch. Chalilov, *Zh. Tekhn. Fiz.*, **8**, 1249 (1938).

(22) F. Birch, *Phys. Rev.*, **41**, 641 (1932).